

P R E S E N T A T I O N O F



INTERNATIONAL ORGANIZATION OF MOTOR VEHICLE MANUFACTURERS

Partial Load & Performance Modelling

ASEP Revision 2.0

Definition for Partial Load Driving

- ❖ Partial load driving means any driving condition which provides positive acceleration greater than 0.3 m/s² between cruising and maximum load driving for a specific engine condition.
- ❖ Cruising is defined as low acceleration with a variation of +/- 0.3 m/s² around zero acceleration.
 - The acceleration 0.3 m/s² is derived from the allowable tolerance of +/- 1 km/h for the steady speed test according to UN R51.03 Annex 3 paragraph 3.1.2.1.6.

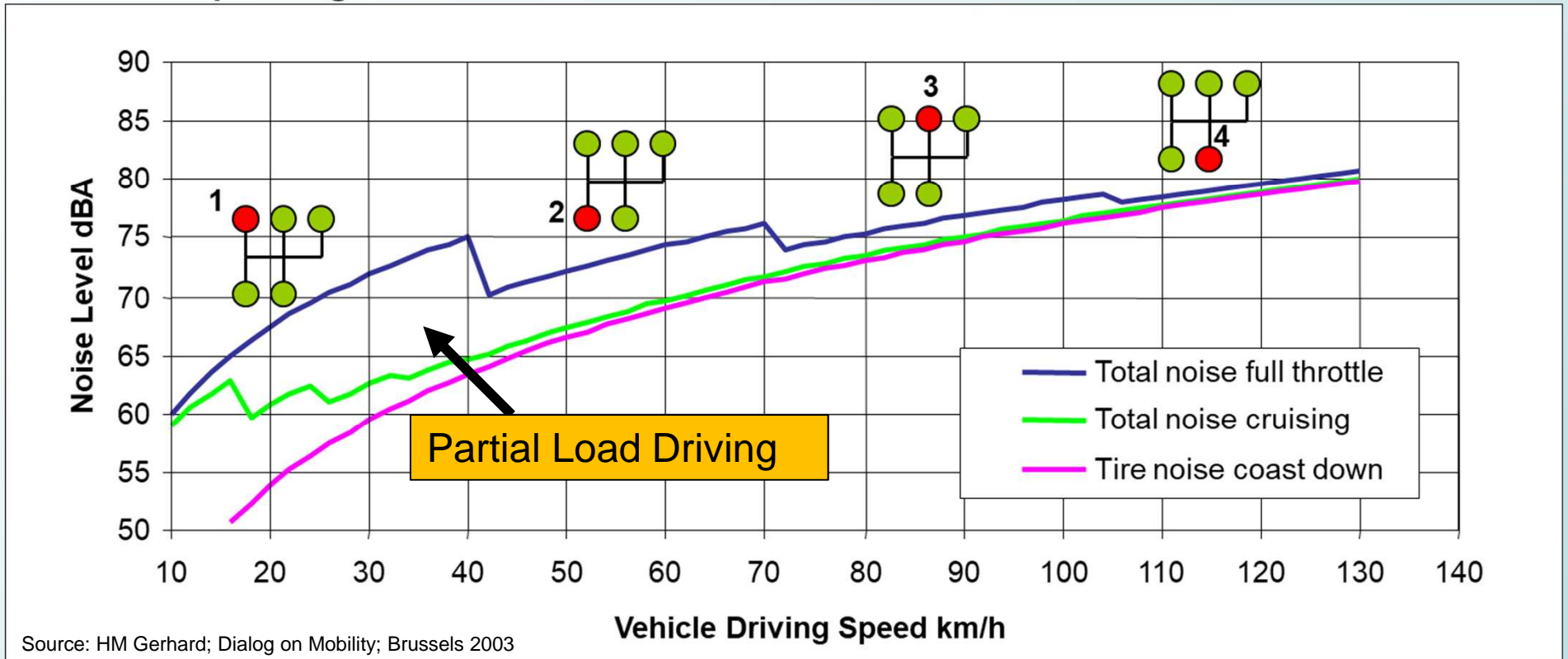
$$a_{\text{crs}} = ((50^{+1\text{km/h}/3.6})^2 - (50^{-1\text{km/h}/3.6})^2) / (2 \cdot (20 + l_{\text{veh}}^*)) = 0.30 \text{ m/s}^2$$

*) $l_{\text{veh}} = 5\text{m}$

- ❖ Maximum load driving is the maximum achievable acceleration for a specific engine operation condition.

Definition for Partial Load Driving

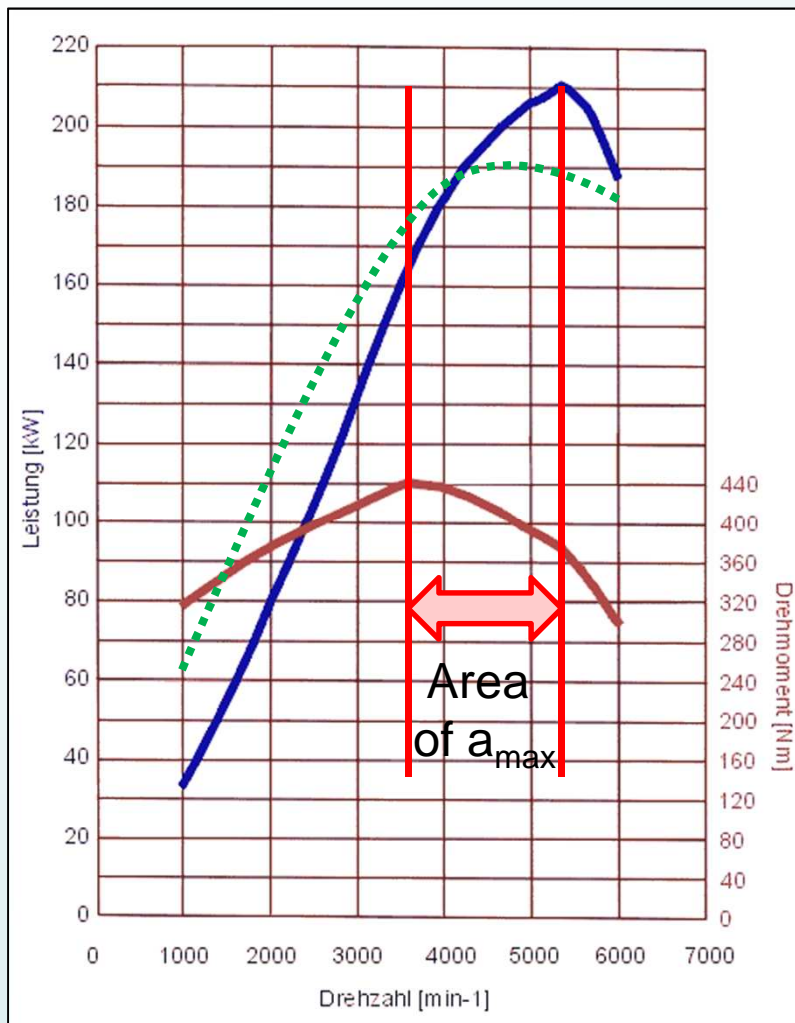
mid class passenger car



What Parameter to Chose for the Control of the Partial Load Area?

- ❖ The position of the throttle?
 - ❖ The throttle is a specific design of petrol engines, other technologies do not have a throttle.
 - ❖ The percentage of opening of the throttle is directly related to the achievable performance. The throttle diameter is tailored to maximum gas flow at rated engine speed.
 - ❖ This means a given percentage of opening of the throttle represents different loads at different engine speeds
- ❖ The percentage of depressing the accelerator pedal?
 - ❖ Vehicles have electronic accelerator pedals. The signal response is NOT linear to the engine. The response is mode dependent and integrates driving comfort, fuel economy and performance response.
- ❖ The achieved acceleration?
 - ❖ The achieved acceleration must be weighted against a reference value. However the reference is dependent on the operation condition of the engine and the gear/gear ratio engaged.

Acceleration Performance versus Engine Speed



..... Maximum achievable acceleration dependent on the engine speed

- The maximum achievable acceleration is dependent on the torque and power available at a discrete operation condition.
- This means the acceleration is dependent on the gear where the acceleration happens and the engine speed which is taken representative for the acceleration phase:

$$a_{\max, \text{test}} = f(i_{\text{test}}, n_{\text{BB}'})$$

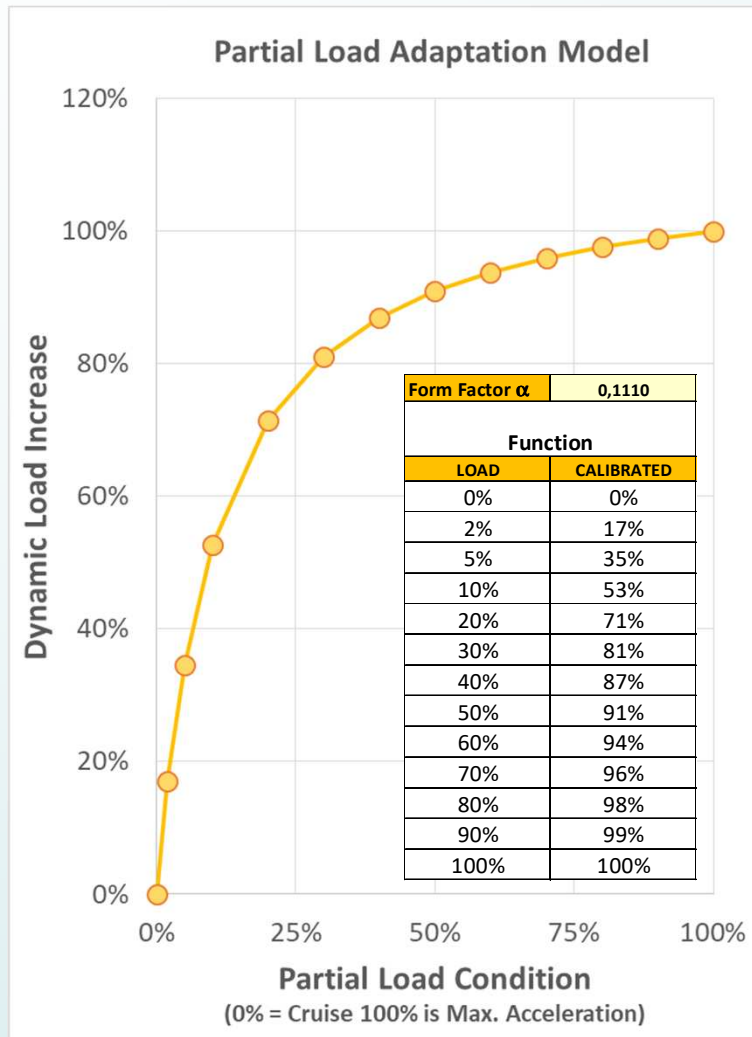
- This behaviour is taken into consideration under the Sound Transient Function.



Simplified Approach

- ❖ The acceleration for a specific gear is assumed constant.
 - This means it is assumed that a vehicle would have always the same maximum acceleration in a given gear over the whole engine speed range.
 - The torque and power curve are considered under the Sound Transient Function via the form factor.
- ❖ The partial load is simulated by using the acceleration performance relative to a reference acceleration in one specific gear.
 - ❖ For other gears or gear ratios, the reference acceleration is adjusted via the gear ratio.
 - ❖ Therefore it is necessary to determine once an reference acceleration, preferably in a low gear, such as 2nd gear.

Sound Transient Function: Link Between Load and Sound



The Sound Dynamic ΔL_{DYN} is the acoustic dynamic between no load and full load.

For the simulation, a hyperbolic function was chosen to adjust for engine speed dependent maximum acceleration and for the typical non-linear transient between no load and maximum load.

Formula:

$$\Delta L_{DYN,PL} = \Delta L_{DYN} \left(\frac{1 - \alpha / (LOAD + \alpha)}{1 - \alpha} \right) / \omega$$

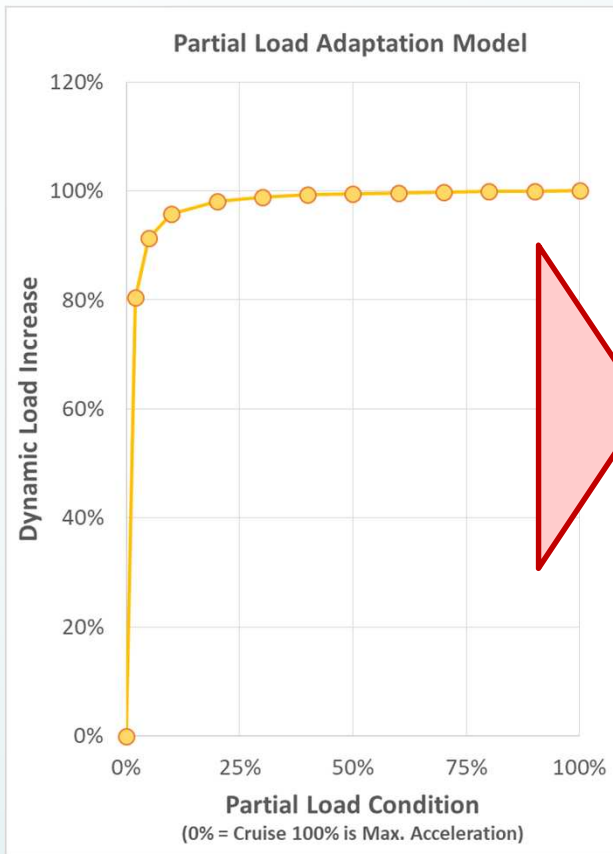
Calibration Part ω

$$\omega = 1 / (1 - \alpha) - \alpha / (1 - \alpha^2)$$

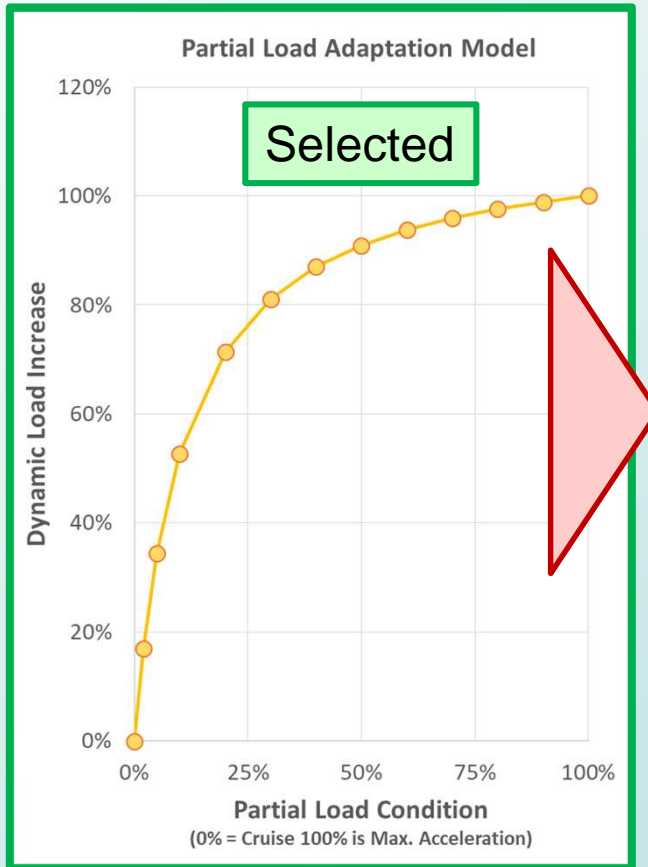
The shape of this curve can be adjusted by the **form factor** α in a wide range for best fitting



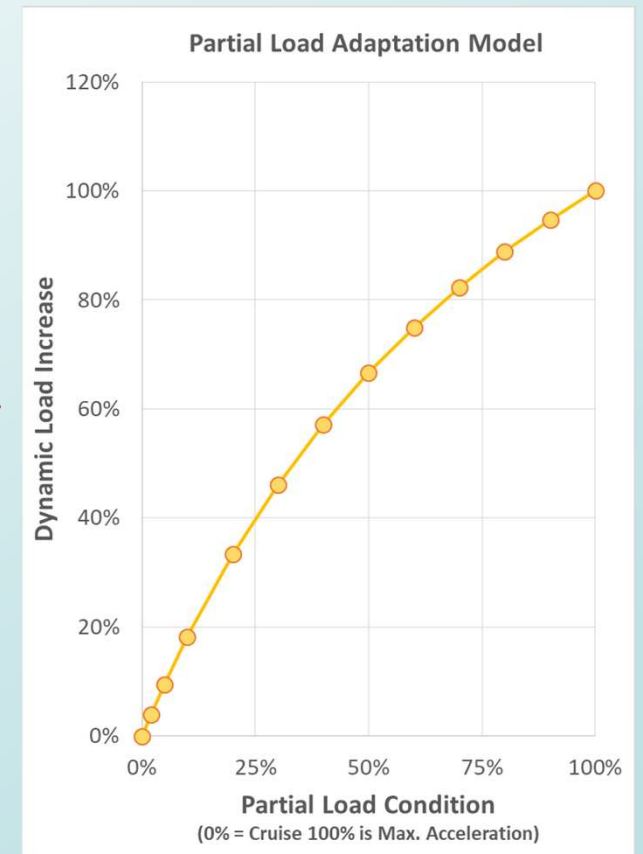
Adjustable Partial Load Transient via the Form Factor α



$\alpha = 0,005$

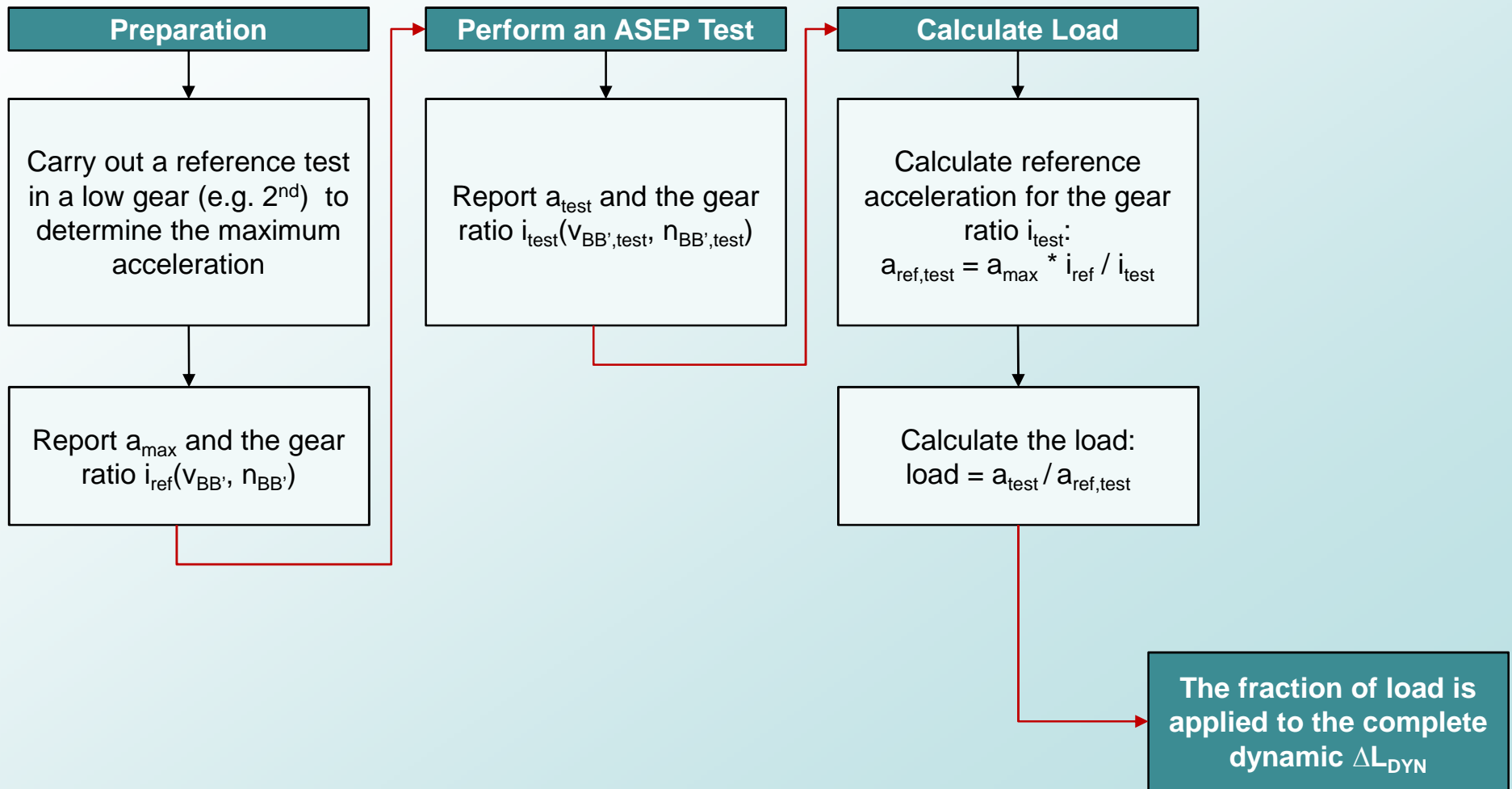


$\alpha = 0,111$



$\alpha = 1,000$

Determination of the Load for a Discrete Test





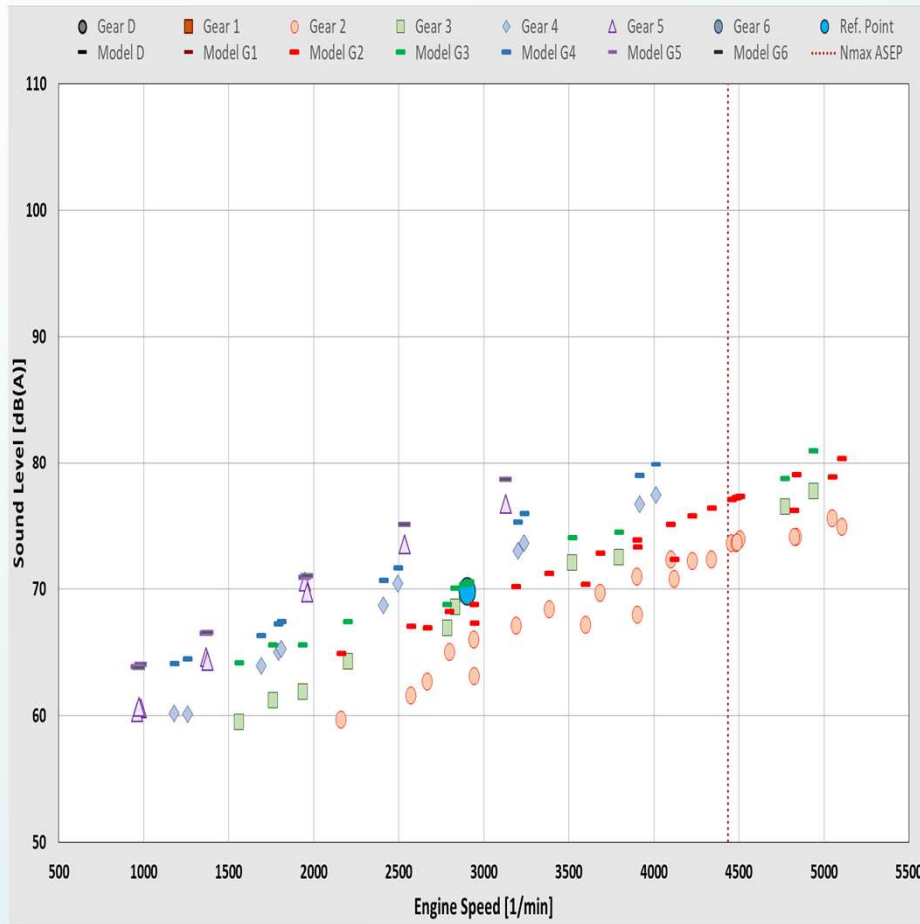


Integration of $v \times a$ – Concept into the sound model

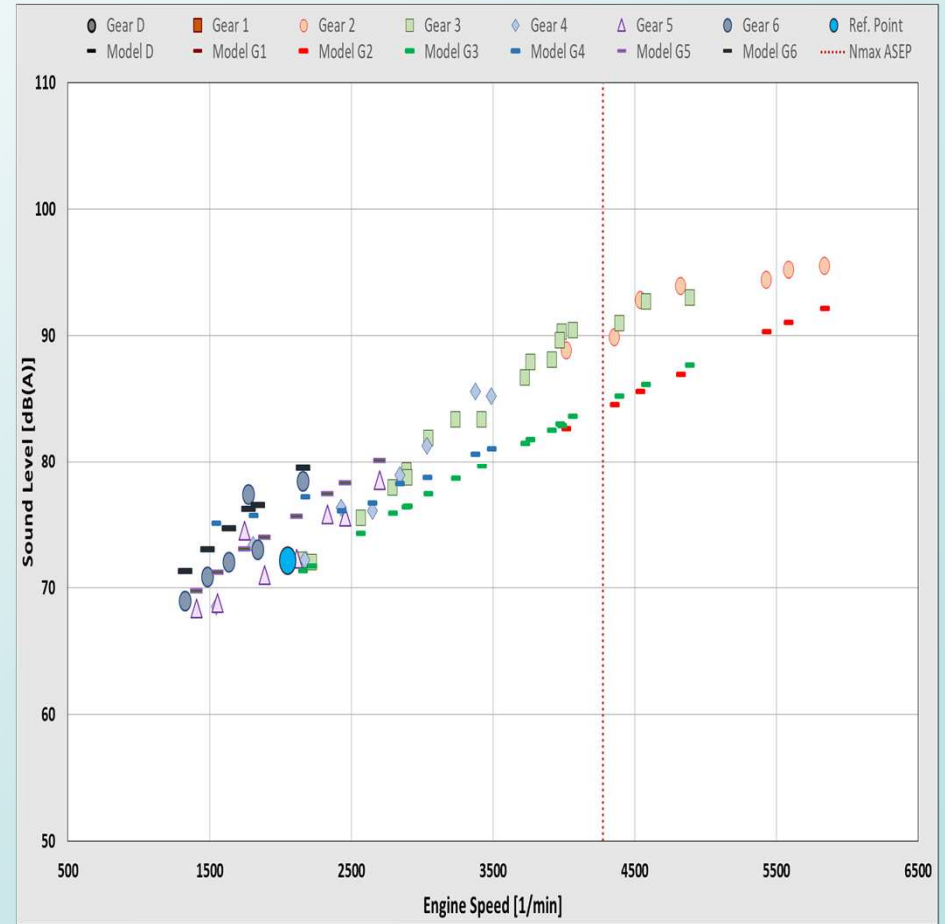
- ❖ The sound model simulates the general sound sources tyre/road, power train mechanics and dynamics based on type approval test results.
 - ❖ This model is based on engine speed and vehicle speed and does not consider performance aspects of a vehicle.
 - ❖ However, behind a tested operation condition the acceleration can be very different and thus as well the sound emission of vehicles.
- ❖ In 2018 a separate assessment model for performance was developed.
 - ❖ This models helps to differentiate between normal and extreme driving conditions.
 - ❖ However, this model cannot adequately assess partial load and cruising, as acceleration close to zero will lead to very low although the vehicle speed and thus the tyre/rolling sound could be very high.



Actual Sound Model – Based on IWG ASEP Presentation Tokyo 2017

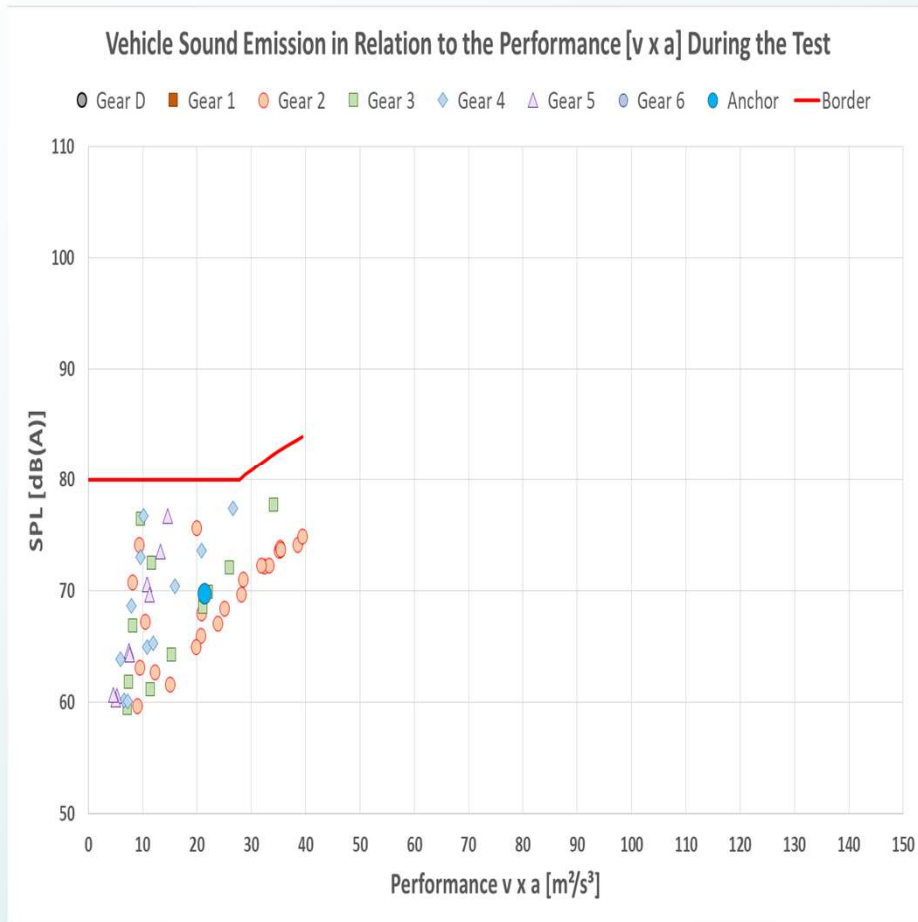


Example 1 (normal vehicle)

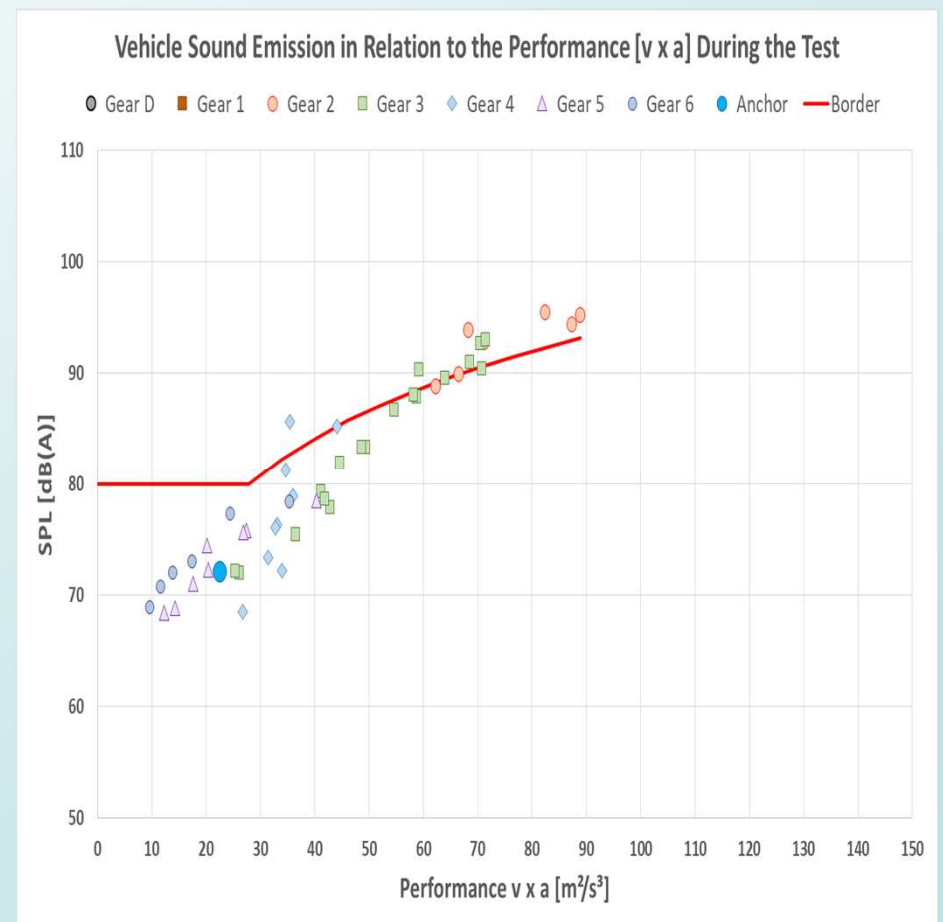


Example 2 (high performance vehicle)

Performance Model - Based on IWG ASEP Presentation Brussel 2018

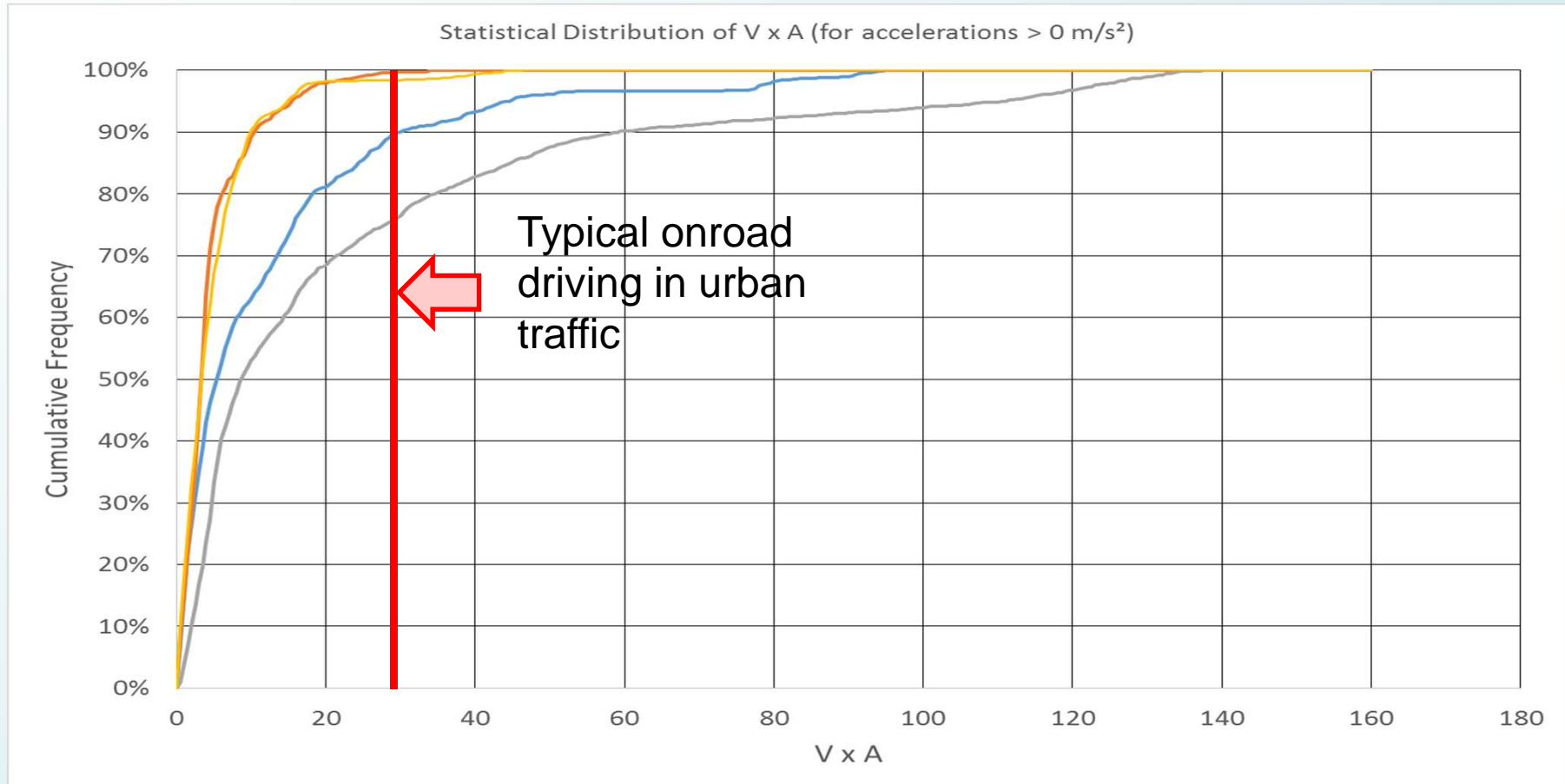


Example 1 (normal vehicle)



Example 2 (high performance vehicle)

Real Driving Performance (OICA Presentation February 2017)



- For driving within the typical onroad driving, performance cannot be added, as UN R51.03 Annex 3 is considered to be almost design neutral.
- ASEP Annex 7 and especially the revision 2.0 goes beyond that neutral area.

Integration of $v \times a$ – Modelling Approach (1)

- ❖ For the modelling the performance is calculated by using the vehicle speed $v_{BB'}$, and the acceleration a_{test} .

- ❖ The performance is calculated by:

$$va_{test} = v_{BB'} / 3.6 * a_{test}$$

- ❖ For normal onroad driving in urban areas the reference performance is determined by:

$$va_{ref} = v_{BB',Annex3} / 3.6 * a_{max,Annex3} \quad \text{with} \quad v_{BB',Annex3} = 50 \text{ km/h}$$
$$a_{max,Annex3} = 2.0 \text{ m/s}^2$$

- ❖ The reference performance is $va_{ref} = 28.7 \text{ m}^2/\text{s}^3$

Integration of v x a – Modelling Approach (2)

- ❖ For performances lower than the reference acceleration, there will be no effect to the actual model.
- ❖ For performances greater than the reference acceleration, additional sound quotation is applied:

$$\Delta L_{\text{DYN(va)}} = \beta * \log(va_{\text{test}} / va_{\text{ref}})^2 \quad \text{with } \beta \text{ as a adjustable factor}$$

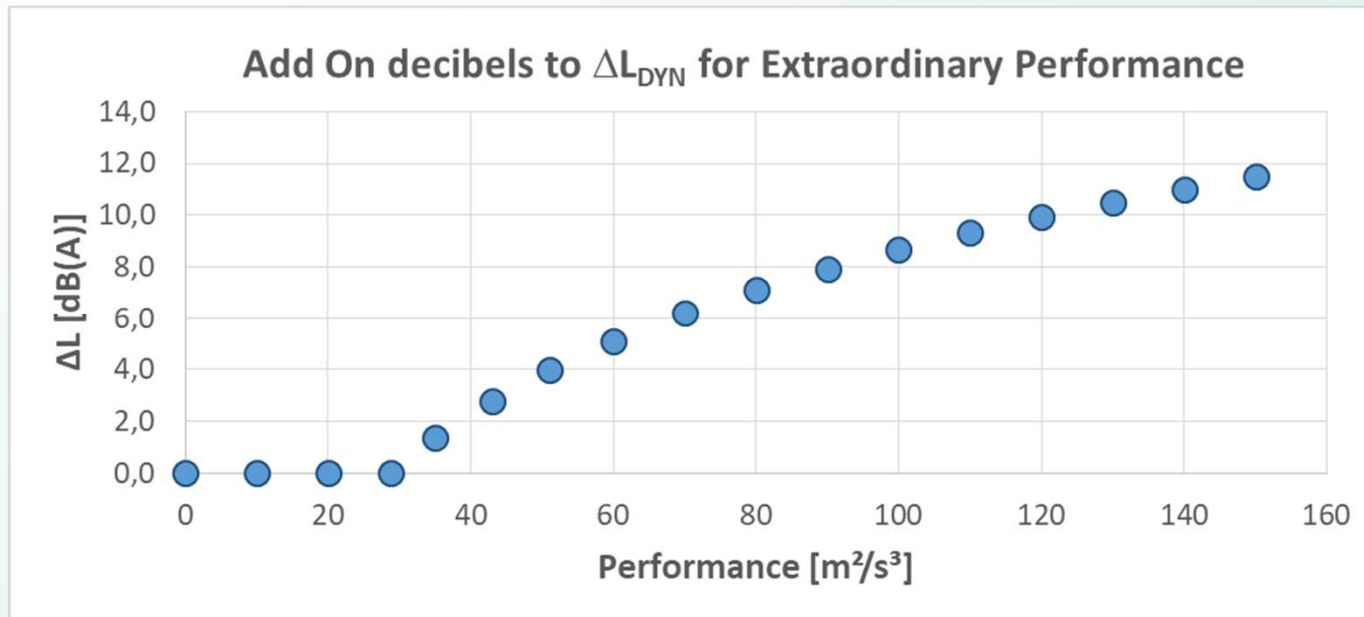
- ❖ For the actual model, the factor β was set to 8.
- ❖ The total dynamic of the vehicle is the set to:

$$\Delta L_{\text{DYN(tot)}} = \Delta L_{\text{DYN}} + \Delta L_{\text{DYN(va)}}$$

- ❖ The total dynamic $\Delta L_{\text{DYN(tot)}}$ is subject to the partial load model.



The Effect of the $v \times a$ in the Sound Model



The Add On is only applied, when the vehicle truly provides this performance.

E.g. under cruising or almost cruising and under coast-down, nothing is added.

For a performance of $100 \text{ m}^2/\text{s}^3$ at 80 km/h an acceleration of $4,5 \text{ m/s}^2$ is needed.

		Vehicle Speed km/h									
		10	20	30	40	50	60	70	80	90	100
Acceleration m/s^2	0,0	0,0	0,0	0,0	0,0	0,0	0,0	0,0	0,0	0,0	0,0
	0,5	1,4	2,8	4,2	5,6	6,9	8,3	9,7	11,1	12,5	13,9
	1,0	2,8	5,6	8,3	11,1	13,9	16,7	19,4	22,2	25,0	27,8
	1,5	4,2	8,3	12,5	16,7	20,8	25,0	29,2	33,3	37,5	41,7
	2,0	5,6	11,1	16,7	22,2	27,8	33,3	38,9	44,4	50,0	55,6
	2,5	6,9	13,9	20,8	27,8	34,7	41,7	48,6	55,6	62,5	69,4
	3,0	8,3	16,7	25,0	33,3	41,7	50,0	58,3	66,7	75,0	83,3
	3,5	9,7	19,4	29,2	38,9	48,6	58,3	68,1	77,8	87,5	97,2
	4,0	11,1	22,2	33,3	44,4	55,6	66,7	77,8	88,9	100,0	111,1
	4,5	12,5	25,0	37,5	50,0	62,5	75,0	87,5	100,0	112,5	125,0
5,0	13,9	27,8	41,7	55,6	69,4	83,3	97,2	111,1	125,0	138,9	