

# Flat belt testing (Annex B4)

Refer 4.3.1.3.1 to 4.3.1.4.4. : “on road testing” which requires coasting **in both direction**  
 But flat belt testing has no direction.

Data processing is contradictory between para. 4.3.1.4.2. and “10N” requirement.  
 If not satisfy “10N” requirement, then apply is 4.3.1.4.2. method

Measured force is  
 “measured dyno. absorbed force – initial dyno. setting force”

$$f_{jDecel} - f_d$$

Amd#4 :  $a_d = b_d = 0$ . So, it’s OK to subtract only  $c_d$ .  
 Amd#5 and UNR :  $b_d \neq 0$ . It’s good opportunity to remove “all” force.

6.5.2.1. Preconditioning  
 The vehicle shall be conditioned on the dynamometer as described in paragraphs 4.2.4.1.1. to 4.2.4.1.3. inclusive of this annex.  
 The dynamometer load setting  $F_d$  for the preconditioning shall be:  

$$F_d = a_d + (b_d \times v) + (c_d \times v^2)$$
 where:  
 $a_d = 0$   
 $b_d = f_{1a}$   
 $c_d = f_{2a}$



6.5.2.3.2. The measurement shall be performed according to paragraphs 4.3.1.3.1. to 4.3.1.4.4. inclusive of this annex **but exclusive 4.3.1.4.2.**  $\Delta t_{ja}$  and  $\Delta t_{jb}$  are considered  $\Delta t_j$  since ~~if coasting down is performed in only one in opposite directions is not possible then the equation used to calculate  $\Delta t_{ji}$  in paragraph 4.3.1.4.2. of this annex shall not apply.~~ The measurement shall be stopped after two decelerations if the force of both coastdowns at each reference speed point is within  $\pm 10$  N, otherwise at least three coastdowns shall be performed using the criteria set out in paragraph 4.3.1.4.2. of this annex.

6.5.2.3.3. The force  $f_{jDyno}$  at each reference speed  $v_j$  shall be calculated by removing the dynamometer set simulated aerodynamic force:

$$f_{jDyno} = f_{jDecel} - f_{dj} \cdot e_d \times v_j^2$$

where:  
 $f_{jDecel}$  is the force determined according to the equation calculating  $F_j$  in paragraph 4.3.1.4.4. of this annex at reference speed point  $j$ , N;  
 $f_{dj} \cdot e_d$  is the force determined to the equation calculating  $F_j$  in paragraph 6.5.2.1. of this annex at reference speed point  $j$  dynamometer set coefficient as defined in paragraph 6.5.2.1. of this annex,  $N/(km/h)^2$ .

Alternatively, at the request of the manufacturer,  $c_d$  may be set to zero during the coastdown and for calculating  $f_{jDyno}$ .

# Test Mass Correction(Annex B4)


	Amend#4	Amend#5
Test mass correction factor $K_1$	$f_0 \times \left(1 - \frac{TM}{m_{av}}\right)$	$\frac{TM}{m}$
Para. 4.5.5.1.	$((f_0 - w_1 - K_1) + f_1v) \times (1 + K_0(T - 20)) + K_2f_2v^2$	$((f_0 - K_1) - w_1) + f_1v) \times (1 + K_0(T - 20)) + K_2f_2v^2$
Para. 4.5.5.2.1.	$(c_0 - w_1 - K_1) + c_1v) \times (1 + K_0(T - 20)) + K_2c_2v^2$	$((c_0(1 - K_1) - w_2) + c_1v) \times (1 + K_0(T - 20)) + K_2f_2v^2$
Para. 6.7.1.	$F_{Dj} = (f_j - K_1) \times (1 + K_0(T - 293))$	<p>It seems that para. 6.7. has a fundamental problem.</p> <ul style="list-style-type: none"> <li><math>K_1</math> : no need to apply, but apply <math>f_0</math></li> <li><math>K_0</math> : should apply <math>f_0</math> &amp; <math>f_1</math>, but apply only <math>f_0</math></li> <li><math>K_2</math> : should apply only <math>f_2</math>, but apply both <math>f_1</math> &amp; <math>f_2</math></li> </ul>

REVIEWED

OK

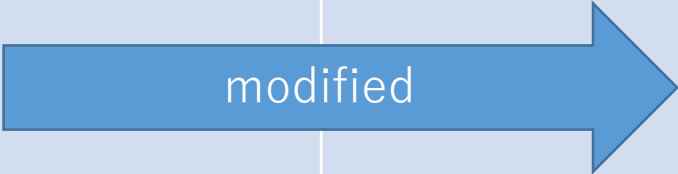

OK

modified



At this moment, Japan withdraw the proposal

# Test Mass Correction(Annex B4)

	Amend#4	Amend#5 and UNR
Test mass correction factor $K_1$	$f_0 \times \left(1 - \frac{TM}{m_{av}}\right)$	 $\left(1 - \frac{TM}{m_{av}}\right)$
Para. 4.5.5.1.	$((f_0 - w_1 - K_1) + f_1v) \times (1 + K_0(T - 20)) + K_2f_2v^2$	<p>OK</p> $((f_0(1 - K_1) - w_1) + f_1v) \times (1 + K_0(T - 20)) + K_2f_2v^2$
Para. 4.5.5.2.1.	$((c_0 - w_2 - K_1) + c_1v) \times (1 + K_0(T - 20)) + K_2c_2v^2$	<p>OK</p> $((c_0(1 - K_1) - w_2) + c_1v) \times (1 + K_0(T - 20)) + K_2f_2v^2$
Para. 6.7.1.	$F_{Dj} = (f_j - K_1) \times (1 + K_0(T - 293))$	 $F_{Dj} = (f_j \times (1 - K_1)) \times (1 + K_0(T - 293))$ <p>may not be OK*, but keep the equivalency with Amend#4 at this moment            *) <math>f_j</math> may contains <math>v^1</math> coefficient (<math>f_1</math>) in addition to constant coefficient (<math>f_0</math>)</p>

4.5.5.1. The curve determined in paragraph 4.3.1.4.4. of this annex shall be corrected to reference conditions as follows:↵

$$F^* = ((f_0(1 - K_1) - w_1) + f_1 v) \times (1 + K_0(T - 20)) + K_2 f_2 v^2 \text{↵}$$

where:↵

F\* is the corrected road load, N;↵

f<sub>0</sub> is the constant road load coefficient, N;↵

f<sub>1</sub> is the first order road load coefficient, N/(km/h);↵

f<sub>2</sub> is the second order road load coefficient, N/(km/h)<sup>2</sup>;↵

K<sub>0</sub> is the correction factor for rolling resistance as defined in paragraph 4.5.2. of this annex;↵

K<sub>1</sub> is the test mass correction as defined in paragraph 4.5.4. of this annex;↵

K<sub>2</sub> is the correction factor for air resistance as defined in paragraph 4.5.1. of this annex;↵

T is the arithmetic average atmospheric temperature during all valid run pairs, °C;↵

v is vehicle velocity, km/h;↵

w<sub>1</sub> is the wind resistance correction as defined in paragraph 4.5.3. of this annex, N.↵

The result of the calculation below shall be used as the target road load coefficient A<sub>t</sub> in the calculation of the chassis dynamometer load setting described in paragraph 8.1. of this annex:↵

$$((f_0(1 - K_1) - w_1) + f_1 v) \times (1 + K_0(T - 20)) \text{↵}$$

The result of the calculation below shall be used as the target road load coefficient B<sub>t</sub> in the calculation of the chassis dynamometer load setting described in paragraph 8.1. of this annex:↵

$$(f_1 \times (1 + K_0 \times (T - 20))) \text{↵}$$

The result of the calculation below shall be used as the target road load coefficient C<sub>t</sub> in the calculation of the chassis dynamometer load setting described in paragraph 8.1. of this annex:↵

$$(K_2 \times f_2) \text{↵}$$

$$= ((f_0(1 - K_1) - w_1)) \times (1 + K_0(T - 20))$$

A<sub>t</sub> in paragraph 8.1. is the “constant coefficient”

$$+ f_1 \times (1 + K_0(T - 20)) v$$

B<sub>t</sub> in paragraph 8.1. is the “first order coefficient”

$$+ K_2 f_2 v^2$$

C<sub>t</sub> in paragraph 8.1. is the “second order coefficient”

**Amd#4 (before modify K<sub>1</sub>) was OK.**

The result of the calculation  $((f_0 - w_1 - K_1) \times (1 + K_0 \times (T - 20)))$  shall be used as the target road load coefficient A<sub>t</sub> in the calculation of the chassis dynamometer load setting described in paragraph 8.1. of this annex.

The result of the calculation  $(f_1 \times (1 + K_0 \times (T - 20)))$  shall be used as the target road load coefficient B<sub>t</sub> in the calculation of the chassis dynamometer load setting described in paragraph 8.1. of this annex.

The result of the calculation  $(K_2 \times f_2)$  shall be used as the target road load coefficient C<sub>t</sub> in the calculation of the chassis dynamometer load setting described in paragraph 8.1. of this annex.